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$\cup W_x$. Then for each x_i , $W_{x_i} \times Y$ is contained in N_{x_i} . Using the fact that each N_{x_i} is the finite union of elements of \mathcal{G}_α and that the finite collection $(W_{x_1} \times Y) \cup \dots \cup (W_{x_n} \times Y)$ is contained in N , W must be a subset of $(-1/x, +1/x)$ for all positive integers x which means $W = \{0\}$ contradicting the fact that W is open in \mathbb{R} (because $W \times \mathbb{R}$ is a tube).. This shows that the compactness assumption is essential. 2 The tube lemma can be used to prove that if X and Y are compact topological spaces, then $X \times Y$ is compact as follows: Let $\{G_\alpha\}$ be an open cover of $X \times Y$; for each x belonging to X , cover the slice $\{x\} \times Y$ by finitely many elements of $\{G_\alpha\}$ (this is possible since $\{x\} \times Y$ is compact being homeomorphic to Y).. $\cup (W_{x_n} \times Y)$ covers $X \times Y$, the collection $N_{x_1} \cup \dots \cup N_{x_n}$ is a finite subcover of $X \times Y$.. Generalized Tube Lemma: Let X and Y be topological spaces and consider the product space $X \times Y$.. Tube Lemma: Let X and Y be topological spaces with Y compact, and consider the product space $X \times Y$.. Sep 09, 2018 Dr Teresa Lemma, MD is a pediatrics specialist in Staten Island, NY and has been practicing for 33 years.. Examples and properties[edit]1 Consider $\mathbb{R} \times \mathbb{R}$ in the product topology, that is the Euclidean plane, and the open set $N = \{ (x, y) : |x \cdot y| < 1 \}$.. Let A be a compact subset of X and B be a compact subset of Y . If N is an open set containing $A \times B$, then there exists U open in X and V open in Y such that $A \times B \subseteq U \times V \subseteq N$ [displaystyle A \times B \subseteq U \times V \subseteq N].

The collection of all W_x for x belonging to X is an open cover of X and hence has a finite subcover $W_{x_1} \cup \dots \cup W_{x_n}$. Indeed, if $W \times \mathbb{R}$ is a tube containing $\{0\} \times \mathbb{R}$ and contained in N , W must be a subset of $(-1/x, +1/x)$ for all positive integers x which means $W = \{0\}$ contradicting the fact that W is open in \mathbb{R} (because $W \times \mathbb{R}$ is a tube).. This shows that the compactness assumption is essential. 2 The tube lemma can be used to prove that if X and Y are compact topological spaces, then $X \times Y$ is compact as follows: Let $\{G_\alpha\}$ be an open cover of $X \times Y$; for each x belonging to X , cover the slice $\{x\} \times Y$ by finitely many elements of $\{G_\alpha\}$ (this is possible since $\{x\} \times Y$ is compact being homeomorphic to Y).. $\cup (W_{x_n} \times Y)$ covers $X \times Y$, the collection $N_{x_1} \cup \dots \cup N_{x_n}$ is a finite subcover of $X \times Y$.. Generalized Tube Lemma: Let X and Y be topological spaces and consider the product space $X \times Y$.. Tube Lemma: Let X and Y be topological spaces with Y compact, and consider the product space $X \times Y$.. Sep 09, 2018 Dr Teresa Lemma, MD is a pediatrics specialist in Staten Island, NY and has been practicing for 33 years.. Examples and properties[edit]1 Consider $\mathbb{R} \times \mathbb{R}$ in the product topology, that is the Euclidean plane, and the open set $N = \{ (x, y) : |x \cdot y| < 1 \}$.. Let A be a compact subset of X and B be a compact subset of Y . If N is an open set containing $A \times B$, then there exists U open in X and V open in Y such that $A \times B \subseteq U \times V \subseteq N$ [displaystyle A \times B \subseteq U \times V \subseteq N].

The open set N contains $\{0\} \times \mathbb{R}$, but contains no tube, so in this case the tube lemma fails.. Convert PDF to TXT, BMP, JPG, GIF, PNG, WMF, EMF, EPS, TIFF In mathematics, particularly topology, the tube lemma is a useful tool in order to prove that the finite product of compact spaces is compact.. It is in general a concept of point-set topology Before giving the lemma, one notes the following terminology: If X and Y are topological spaces and $X \times Y$ is the product space, a slice in $X \times Y$ is a set of the form $\{x\} \times Y$ for $x \in X$. A tube in $X \times Y$ is just a basis element, $K \times Y$, in $X \times Y$ containing a slice in $X \times Y$, where K is an open subset of X .. If N is an open set containing a slice in $X \times Y$, then there exists a tube in $X \times Y$ containing this slice and contained in N .. 3 By example 2 and induction, one can show that the finite product of compact spaces is compact.. Overview Reviews About Me Locations Compare Insurance Check Search for your insurance provider.

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